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APPLICATION FOR PATENT

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TITLE: CALIBRATION AND ALIGNMENT OF X-RAY  
REFLECTOMETRIC SYSTEMS

10 **Field Of The Invention**

X-ray reflectometry is a technique for measuring the thicknesses of thin films in semiconductor manufacturing and other applications. In order to maximize accuracy with this technique, it is necessary to precisely calibrate and align elements of the X-ray reflectometry system  
15 and the present invention relates to methods for achieving this.

**Background Of The Invention**

There is considerable need to accurately measure the thicknesses of thin films, particularly in the semiconductor manufacturing  
20 industry. One method for making such measurements is an X-ray reflectometry technique ("XRR") which relies on measuring the interference patterns of X-rays scattered from a thin film sample. With XRR the reflectivity of a sample is measured at X-ray wavelengths over a range of angles. These angles typically range from zero degrees, or  
25 grazing incidence along the surface of the sample, to a few degrees. From the X-ray interference pattern, properties of the sample such as material composition and thickness can be inferred.

In a recent development, simultaneous measurements of the sample reflectivity over a range of angles are accomplished by  
30 illuminating the sample with a focused beam and then detecting the

reflected X-rays with a position sensitive detector such as a photodiode array.

XRR has several advantages over techniques using visible light. One such advantage is that XRR makes it possible to measure the thickness of ultra-thin films whose thicknesses are on the order of 30 angstroms or less. Visible light is not suitable for the study of such ultra-thin films using interference patterns because of its wavelength. However, an XRR system may preferably use radiation at wavelengths of about 1.5 angstroms, which radiation creates suitable interference patterns even when probing such ultra-thin films. In addition, XRR may suitably be used where the film is composed of a material that is opaque to light, such as a metal or metal compound. Finally, XRR may suitably be used to measure the density and thickness of films composed of materials that have a low dielectric constant and a correspondingly low index of refraction, such as certain polymers, carbon fluoride compounds, and aerogels.

A preferred XRR technique is described in U.S. Patent No. 5,619,548, issued April 8, 1997, which is hereby incorporated by reference in its entirety. Fig. 1 illustrates this preferred technique.

Referring to Fig. 1, the preferred X-ray scattering system includes an X-ray source 31 producing an X-ray bundle 33 that comprises a plurality of X-rays shown as 35a, 35b, and 35c. An X-ray reflector 37 is placed in the path of the X-ray bundle 33. The reflector 37 directs the X-ray bundle 33 onto a test sample 39 held in a fixed position by a stage 45, and typically including a thin film layer 41 disposed on a substrate 43. Accordingly, a plurality of reflected X-rays, 57a, 57b, and 57c concurrently illuminate the thin film layer 41 of the test sample 39 at different angles of incidence.

The X-ray reflector 37 is preferably a monochromator. The diffraction of the incident bundle of X-rays 33 within the single-crystal monochromator allows only a narrow band of the incident wavelength spectrum to reach the sample 39, such that the Brag condition is

satisfied for this narrow band. As a result, the plurality of X-rays 57a, 57b, and 57c, which are directed onto the test sample 39, are also monochromatic. A detector 47 is positioned to sense X-rays reflected from the test sample 39 and to produce signals corresponding to the intensities and angles of incidence of the sensed X-rays. Fig. 2 depicts an example of a graph of data from the detector 47 showing a normalized measure of the reflectivity of the sample as a function of the angle of incidence to the surface of the sample 39. A processor is connected to the detector to receive signals produced by the detector in order to determine various properties of the structure of the thin film layer, including thickness, density and smoothness.

In order to maximize the accuracy of the X-ray measurements, it is necessary to precisely calibrate and align the XRR system. The present invention relates to techniques for doing this.

### Summary of the Invention

One object of the present invention relates to the calibration of the detector 47. In order to properly interpret the raw data graphed in Fig. 3, it is necessary to determine which pixel  $C_0$  lies on the extended plane of the sample 39. In addition it is necessary to find the intensity of the incident, unreflected X-ray corresponding to each pixel in order to be able to normalize the reflected X-ray intensity readings on a point-by-point basis. An aspect of the present invention describes a method for accurately determining  $C_0$  for each sample placement and for finding the incident X-ray intensity corresponding to each pixel and thus permitting an amplitude calibration of the reflectometer system.

Another object of the present invention relates to a method for aligning an angle-resolved X-ray reflectometer that uses a focusing optic, which may preferably be a Johansson crystal. In accordance with the present invention, the focal location may be determined based on a series of measurements of the incident beam profile at several different positions along the X-ray optical path.

Another object of the present invention is to validate the focusing optic. It is important that the focusing optic forms an X-ray beam of uniform and predictable convergence. This is necessary in order to achieve an accurate one-to-one correspondence between the pixel  
5 location on the detector and the angle of reflection of X-rays from the sample. A validation of the optics may be performed using a grid mask consisting of regularly spaced openings and opaque bars in order to observe the accuracy of optic shaping.

Another object of the present invention relates to the alignment of  
10 the focusing optic with the X-ray source. For example, in the case of an X-ray tube source, achieving the best angular resolution for the reflectometer requires that the line focus of the X-ray tube and the bend axis of the focusing optic be coaligned so as to be accurately parallel. A method for checking this coalignment is to place a fine wire between the  
15 X-ray source and the optic and observe the shadow of the wire in the beam profile formed by the optic.

Another object of the present invention concerns the correction of measurements errors caused by the tilt or slope of the sample.

Yet another object of the present invention concerns the  
20 calibration of the vertical position of the sample. Changes in the sample height lead to shifts in the location of the reflected beam, so that the vertical sample position must be calibrated if an accurate measurement is to be made.

## 25 **Brief Description of the Figures**

Fig. 1 shows a preferred X-ray reflectometry system.

Fig. 2 shows a normalized graph of sample X-ray reflectivity as a function of the angle of incidence to the sample.

Fig. 3 shows a graph of raw data from a position sensitive  
30 detector in an XRR system giving signal strength as a function of pixel number.

Fig. 4 shows graphs of both the incident X-ray beam and the reflected X-ray beam (dashed lines) as received by the position sensitive detector in an XRR system.

5 Fig. 5 shows a graph where the measurements of the pixels sensing the incident X-ray beam have been inverted through a calculated pixel  $C_0$  so that the incident beam is "folded over" the reflected X-ray beam as measured by the position sensitive detector in an XRR system.

10 Fig. 6 shows graphs of the incident beam profile with a detector placed at three different "run-out" distances from the nominal focal location of the X-ray optic.

Fig. 7 shows a plot of the locations of the upper and lower limbs of the beam profile graphs shown in Fig. 6 as a function of "run-out" distance.

15 Fig. 8 shows a graph of both the original incident X-ray beam and the profile of the incident X-ray beam after it has passed through a grid as measured by a detector.

Fig. 9 shows a graph of the incident X-ray beam profile where the beam path is partially blocked by a wire.

20 Fig. 10a shows the relationship of X-ray angle of incidence and detector pixels in an XRR system when the sample is not tilted.

Fig. 10b shows the altered relationship of X-ray angle of incidence and detector pixels in an XRR system when the sample is tilted.

25 Fig. 11 shows a system for detecting sample tilt.

Fig. 12 shows how changes in sample height alter the relationship between X-ray angle of incidence and detector pixels in an XRR system.

Fig. 13 a system for detecting changes in the sample height.

Fig. 14 shows a method for finding the intensities of the unattenuated X-rays at each angle of incidence in order to be able to properly normalize the measurements of the X-ray detector.

## 5 ***Detailed Description Of The Invention.***

One aspect of the present invention relates to the calibration of the detector 47. For convenience, this aspect of the present invention will be described with respect to the preferred type of detector, a multi-channel photo-diode array, but the same technique could be applied to  
10 other types of spatially sensitive detectors capable of resolving the reflected X-rays from the sample 39. The detector yields raw data showing the intensity of the reflected X-rays as a function of the detector channel ("pixel") number, as shown graphically in Fig. 3. In order to properly interpret the raw data graphed in Fig. 3, it is necessary to  
15 determine which pixel  $C_0$  lies on the extended plane of the sample 39. In addition it is necessary to find the intensity of the incident, unreflected X-ray corresponding to each pixel in order to be able to normalize the reflected X-ray intensity readings on a point-by-point basis. This calibration is necessary because the reflection efficiency of the sample  
20 for each angle of incidence is actually calculated as a ratio of reflected and incident signal amplitudes. This aspect of the present invention describes a method for accurately determining  $C_0$  for each sample placement and for finding the incident X-ray intensity corresponding to each pixel and thus permitting an amplitude calibration of the  
25 reflectometer system.

The relationship between the reflection angle  $\theta$  and the pixel number  $C$  is given by  $\theta = \arctangent(p(C - C_0)/D)$ , where  $p$  is the pixel spacing ("pitch") of the detector,  $D$  is the distance between the illuminated part of the sample and the detector, and  $C_0$  is the pixel  
30 number at which the extended plane of the sample intercepts the detector. The parameters  $p$  and  $D$  are customarily known with sufficient accuracy from the construction details of the detector (for the pitch  $p$ )

and the reflectometer (for the distance  $D$ ). The value  $C_0$ , however, can vary from one sample placement to another, and must be determined (or at least verified) for each measurement.

5 In order to accomplish these angular and amplitude calibrations of the reflectometer, a detector is used that extends below the plane of the sample as well as above it. The use of such a detector 47' is shown in Fig. 14, where the dashed lines indicate that the sample 39 has been removed from the X-ray pathway. By occasionally removing the sample from the X-ray pathway, the unattenuated incident beam can then be  
10 detected on the lower portion of the detector. In this way the incident beam pattern can be recorded and viewed side-by-side with the reflected beam, as shown in Fig. 4.  $C_0$  is a point of symmetry that lies midway between the leading edges of the incident and reflected patterns. An approximate location for  $C_0$  is shown in Fig. 4. The reason  
15 this is so is that the reflection from the sample is nearly total for a range of very small angles of incidence that are less than the critical angle. For this limited range of angles, then, the incident and reflected patterns should be symmetrical about  $C_0$ . This means that  $C_0$  is represented by the pixel number about which the incident beam pattern can be "folded  
20 over" to overlap the reflected pattern. The folding is correct and  $C_0$  is properly identified when the leading edge of the reflected pattern in the region of total reflection falls exactly over the corresponding leading edge of the incident profile.

$C_0$  can accordingly be located in the following manner. First, one  
25 locates the peak of the reflected signal. Because the sample reflectivity drops off very quickly at angles greater than the critical angle, the peak of the reflected profile lies close to the critical angle and serves to identify an approximate upper bound for the region of the reflected profile that is of interest. To avoid getting data from beyond the critical  
30 angle, the upper limit for the region of interest is preferably set to 90% of the peak of the reflected beam. Second, one locates the point where the incident and reflected profile signals cross. This point is approximately

the location of  $C_0$  and serves to identify an approximate lower bound for the region of the reflected profile that is of interest. Because data from very weak signals tends to be bad and may be significantly corrupted by noise, the lower limit is preferably set to a signal level that is twice the level at which the two signals cross. Third, one chooses various signal levels in the region of the reflected profile curve that is of interest, and draws horizontal lines between the reflected and incident profile curves at those signal levels. Fourth, one finds the midpoints of the horizontal lines between the two profiles drawn in the previous step. Fifth, one calculates the average center pixel  $C_0$  from this set of midpoints after excluding outlying data points.

Once the point of symmetry  $C_0$  has been determined, the incident beam can be folded over the reflected beam by inverting the pixel array associated with the incident profile through the point  $C_0$ . These operations produce a graph such as that shown in Fig. 5. A normalized reflectivity is then calculated by dividing the raw values in the reflected profile by the corresponding incident profile values on a point-by-point basis. In this way the reflected profile data from the detector may be properly interpreted.

Another aspect of the present invention relates to a method for aligning an angle-resolved X-ray reflectometer that uses a focusing optic, which may preferably be a Johansson crystal. It is necessary to determine where in space the focused image of the X-ray source region falls, in order to establish the distance  $D$  between the focused image and the detector. As discussed above, this parameter is used to match pixels to reflection angles via the reflection angle correlation:  $\theta = \arctangent(p(C-C_0)/D)$ . It is also desirable to know the focal location, because this is the preferred position of the front surface of the thin film sample being examined by the reflectometer in order to minimize that X-ray beam "footprint" or irradiated area on the surface of the sample.

In accordance with the present invention, the focal location may be determined based on a series of measurements of the incident beam



profile at several different positions along the X-ray optical path. A measurement series of this sort is shown graphically in Fig. 6, in which the incident beam profile is detected at several values of "run-out" distance from the nominal focal location. (Points "A", "B", and "C" of Fig. 14 illustrate this methodology.) In Fig. 6 the width of the profile decreases as the detector location approaches the nominal focal location. The actual focal location is the position in space at which the profile width extrapolates to zero. In Fig. 7 the locations of the shoulders of the incident beam profiles are plotted and denoted as the lower and upper limbs. The focal location is then the point at which the lower and upper limbs converge.

In order to find this convergence point, the incident beam edge data collected at the various run-out locations may be fitted by linear regression techniques to obtain a pair of algebraic relations describing the lower and upper edge locations as a function of run-out distance. The actual focal location is then determined by solving algebraically for the intersection point of the two traces. In the case shown in Fig. 6, we find that the actual focal location is about 15mm closer to the detector than the nominal value. The edge trace data also shows the minimum and maximum angles of incidence contained in the converging fan of X-rays that expose the sample. These angular values are reflected in the slopes of the traces.

Another aspect of the present invention relates to the validation of the focusing optic. It is important that the focusing optic forms an X-ray beam of uniform and predictable convergence. This is necessary in order to achieve an accurate one-to-one correspondence between the pixel location on the detector and the angle of reflection of X-rays from the sample. A validation of the optics may be performed using a grid mask consisting of regularly spaced openings and opaque bars in order to observe the accuracy of optic shaping.

In order to accomplish this, the grid mask is placed across the X-ray beam path between the X-ray source and the optic, and the shadow

pattern formed by the mask is detected at a position downstream from the optic. Data of this sort, formed by a mask having regularly spaced 75 $\mu$ m-wide openings and bars, is shown in Fig. 8. Deviations from these locations are produced by distortions of the optic from its intended figure.

- 5 If the optic is correctly formed, the features of the observed grid pattern, its minima and maxima, should fall in predictable locations based on the opening and bar spacings of the grid. In this way the focusing optic may be validated.

Another aspect of the present invention relates to the alignment of the focusing optic with the X-ray source. For example, in the case of an X-ray tube source, achieving the best angular resolution for the reflectometer requires that the line focus of the X-ray tube and the bend axis of the focusing optic be coaligned so as to be accurately parallel. A method for checking this coalignment is to place a fine wire between the X-ray source and the optic and observe the shadow of the wire in the beam profile formed by the optic. A pattern of this sort is shown in Fig. 9. One can use a pinhole photograph of the X-ray source to determine the orientation of its line focus and to prealign the wire to that orientation. The width of the wire's shadow is then a measure of the tilt misalignment of the optic with respect to the tube's line focus. An accurate coalignment can then be obtained by manipulating the optic's tilt so as to minimize the width of the shadow.

Another aspect of the present invention concerns the correction of measurements errors caused by the tilt or slope of the sample. The slope of the sample is a critical parameter. Small variations in the sample flatness or the mechanical slope in the supporting stage can lead to variations in this plane as shown in Figs. 10a and 10b. As these figures show, changes in the sample tilt change the direction of the reflected beam. In particular, tilts along the direction of the beam travel ("pitch") cause the beam to shift up or down on the detector. Essentially, the rays at each incident angle are redirected to different pixels. If such

tilt shifts are not accounted for, the calculated angular reflectivity will be wrong.

Errors of less than  $0.005^\circ$  in the sample tilt can change the film thickness calculations by as much as a few angstrom, which is an amount that is greater than the inherent sensitivity of the X-ray reflectometer measurement. In other words, sample tilts in this range can be the major source of measurement error. To limit the stage tilt to a tolerable level of, say,  $0.001^\circ$  requires less than 1.8 microns of vertical error over a 4" radius (a typical radius for a silicon wafer).

10 Tilt in a direction perpendicular to the beam direction ("roll") will also alter the direction of the reflected beam. In this case, the predominant effect is a side-to-side shift of the beam on the detector. Since the beam strikes the same pixel range, however, the relationship between pixel and incidence angle is preserved. Thus, roll is a less  
15 critical phenomenon than pitch. Still, irregularities in the beam shape could give rise to measurement errors if the roll were sufficiently severe to alter the intensity of the detected portion of the beam.

Since variations in the tilt of the sample surface at the milli-degree level are almost inevitable, it is necessary to have some means of  
20 dealing with tilt – especially pitch. Fig. 11 illustrates a preferred tilt detection scheme.

As depicted in Fig. 11, a laser beam is split by a beam splitter 60 oriented at a  $45^\circ$  angle. Part of the beam continues toward the sample 62 and is focused to a point by a lens 64. A reflected beam reflects from  
25 the sample 62 and passes back up through the same focusing optics. Part of the reflected beam is reflected by the beam splitter 60 to a position sensitive detector 66 which may preferably be a quad cell photodiode detector. A change in the sample orientation (shown by the dotted lines) causes the return beam to shift. This displacement can be  
30 measured quantitatively with the quad cell photodiode 66. The advantages of this method include its non-contact nature, high accuracy (determined by the focal length of the lens 64 and the sensitivity of the

quad cell 66), and the fact that it can be conducted concurrently with XRR measurements because the quad cell detector 66 views the sample from above. With this method, tilts well below  $0.001^\circ$  may be measured.

5            Preferably the tilt detector described above may be calibrated using samples whose tilt is known. Alternatively, an approximate mathematical relationship between the readings of the quad cell detector and the sample tilt may be used to interpret the data. For this purpose it may be assumed that the light coming into the lens 64 of Fig. 11 is  
10 collimated and has uniform intensity over the illuminated circle on the lens (radius  $r$ ), and that the lens aperture is larger than this illuminated spot. If the lens 64 has a focal length  $f$  and the wafer is tilted by a small angle  $d$ , then the reflected beam, 60, is shifted by a distance  $s$  on the quad cell detector 66, which distance  $s$  is given by:

15

$$s = 2 \times f \times d \quad (\text{where } d \text{ is measured in units of radians}).$$

For purposes of illustration it is convenient to consider the case where the tilt is in the plane of Fig. 11 (i.e. the axis of tilt rotation is about  
20 the normal to the paper), so that the reflected beam shifts upwards on the quad cell, 66, as shown by the dashed lines.

The quad cell is composed of 4 quadrants which each produce an output signal proportional to the intensity on the quadrant: Q1, Q2, Q3, &  
25 Q4 (quadrants 1&2 are on top; 3&4 are on bottom; and 1&4 are on the right side). We can define the vertical tilt signal as

$$T_y = (Q1 + Q2 - Q3 - Q4) / (Q1 + Q2 + Q3 + Q4) = [(top - bottom)/sum]$$

30 (Here  $T_y$  means tilt about the vertical ( $y$ ) axis to distinguish from tilt in orthogonal direction:  $T_x$ .)

When the quad cell is illuminated by a beam reflected from a non-tilted sample, each quadrant should produce signals of the same strength  $q_0$ . In this case, the vertical tilt signal is

$$5 \quad T_y = (q_0 + q_0 - q_0 - q_0) / (4 \times q_0) = 0$$

For very small tilts that shift the beam upwards, the upper two quad signals increase and the lower two decrease. If the spot on the quad cell shifts up a distance  $s$ , then the increase in the signal  $Q_1$  is

10

$$\Delta Q_1 = (4 \times q_0 \times s) / (\pi \times r) \quad ; \text{ where } \pi = 3.14159...$$

$$= (8 \times f \times d \times q_0) / (\pi \times r) \quad (\text{using the earlier equation for } s).$$

15

In this case, the tilt signal becomes:

$$T_y = \Delta Q_1 / q_0 = (8 \times f \times d) / (\pi \times r)$$

20

This equation can be reversed to solve for the tilt angle  $d$  as a function of the measured tilt signal:

$$d = (T_y \times \pi \times r) / (8 \times f).$$

25

The same kind of analysis may be applied in the case of an orthogonal tilt,  $T_x$ , or the case where there is both a vertical and orthogonal tilt.

30

Once the sample tilt has been independently measured, it is necessary to correct for the tilt. Either of two methods of correction may be used. In one method, the tilt may be corrected for in analyzing the data received from the X-ray detector. Alternatively, the orientation of the stage on which the sample rests may be actively controlled in order to reduce the tilt.

If the tilt of the stage is actively controlled, the tilt sensor reading may be used to purposely set the stage tilt to some non-zero angle. This could be useful in studying films with particularly large critical angles because tilting the stage would shift the incidence angle range to higher angles.

Yet another aspect of the present invention concerns the calibration of the vertical position of the sample. Changes in this sample height lead to shifts in the location of the reflected beam as shown in Fig. 12. The shift of the reflected profile on the detector array is approximately  $2\delta$ , where  $\delta$  is the focus error, and  $d$  is the distance from the focus to the detector. This results in an angular error of about  $\delta/d$ , where  $d$  is the distance from the focus to the detector. (This is so because the zero angle is interpreted to be the midpoint between the incident and reflected beams.) For systems designed to measure 8" wafers,  $d$  could be as small as about 5" which means that for every 10 microns of focus error, an angular error of about 5 milli-degrees is introduced. Errors of this magnitude may alter the thickness readings by several angstroms and constitute a major limitation on measurement accuracy.

The present invention provides a method of controlling this source of error by quickly and accurately bring the XRR system into focus. This method for autofocusing works by measuring the collimation of a beam reflected from the sample surface through a focusing lens as shown in Fig. 13. The assignee of the present invention has previously employed a similar methodology for measuring both the tilt of the sample and the vertical position of the sample in the context of prior art light-based beam profile reflectometry and beam profile ellipsometry (see U.S. Patent No. 5,042,951; U.S. Patent No. 5,412,473; and PCT publication WO 92/08104. However, the inventors believe that they are the first to recognize that such a methodology could be used to solve the distinct problems characteristic to the proper calibration and operation of an X-ray reflectometry system.

As depicted in Fig. 13, a laser beam is split by a beam splitter 60 oriented at a 45° angle. Part of the beam continues toward the sample 62 and is focused to a point by a lens 64. A reflected beam reflects from the sample and passes back up through the same focusing optics. Part  
5 of the reflected beam is reflected by the beam splitter 60 and is focused by a second focusing lens 68. This second lens 68 brings the reflected beam into focus near a spinning knife edge or "chopper" 70, located in the focal plane of the lens 68. The location of this secondary focus is, in turn, dependent on the height of the sample. As the sample moves up,  
10 for instance, the secondary focus moves downstream. The direction and speed of the chopper's shadow is detected by a position sensitive detector 66 which may preferably be a quad cell photodiode detector. If the chopper is not located at the focus, one side or the other of the quad cell will be darkened first by the shadow of the chopper, depending on  
15 which side of the focus the chopper is located. By measuring the movement of the chopper's shadow, it is possible to calculate both the position of the secondary focus relative to the position of the chopper 70 and the sample height.

The precision of this method depends on the focal lengths and  
20 apertures of the various components and increases with the magnification of the lenses used.

The autofocus signal produced by the above described detector scheme may be defined as the timing difference  $\Delta t$  between the time when the top of the detector is shadowed and the time when the entire  
25 detector is shadowed.  $\Delta t$  can be positive or negative depending on whether the sample surface is above or below the focus. The sensitivity of the system  $S$  can be defined as the measured time gap for a given focus error:

30  $S = \Delta t / \Delta z$ , where  $\Delta z$  is the distance of the objective lens 64 from correct focus. (Like  $\Delta t$ ,  $\Delta z$  may be positive or negative.)

If the objective lens 64, has a focal length  $f_1$ , and second lens 68, has a focal length of  $f_2$ , and the beam incident on the first lens is collimated and has a radius of  $r$ , then the sensitivity  $S$  of the autofocus detector to small focus errors is given by

5

$$S = 2 \times r \times f_2 / (f_1 \times f_1).$$

From these equations it is possible to calculate  $\Delta z$  given knowledge of  $\Delta t$  and the parameters  $r$ ,  $f_1$ , and  $f_2$ . Given  $\Delta z$ , the distance  
10 of the objective lens 64 from correct focus, an appropriate adjustment in the relative sample height may be made.

The scope of the present invention is meant to be that set forth in the claims that follow and equivalents thereof, and is not limited to any of the specific embodiments described above.